7. Mark schemes for Paper 1: arithmetic

Qu.	Requirement	Mark	Additional guidance
1	712	1m	
2	<u>5</u> 11	1m	Accept equivalent fractions or an exact decimal equivalent, e.g. 0.45 (accept any unambiguous indication of the recurring digits).
			Do not accept rounded or truncated decimals.
3	90	1m	
4	838	1m	
5	9	1m	
6	200	1m	
7	6,562	1m	
8	46	1m	
9	81.08	1m	
10	308	1m	
11	90	1m	
12	600	1m	
13	4	1m	
14	4,921	1m	
15	50,000	1m	
16	4.6	1m	
17	<u>6</u> 7	1m	Accept equivalent fractions or an exact decimal equivalent, e.g. 0.857142 (accept any unambiguous indication of the recurring digits). Do not accept rounded or truncated decimals.
18	0.001	1m	Accept equivalent fractions, e.g. $\frac{1}{1000}$

Qu.	Requirement	Mark	Additional guidance
19	750	1m	
20	Award TWO marks for the correct answer of 18,055 If the answer is incorrect, award ONE mark for a formal method of long multiplication with no more than ONE arithmetic error, e.g. • 785 $\times \frac{23}{2355}$ $\frac{15700}{18155}$ (error) OR • 785 $\times \frac{23}{2345}$ (error) $\frac{15700}{18045}$	Up to 2m	Working must be carried through to reach a final answer for the award of ONE mark. Do not award any marks if the error is in the place value, e.g. the omission of the zero when multiplying by tens: $\frac{785}{\times 23} \\ \underline{2355} \\ \underline{1570} (place value error) \\ \underline{3925}$
21	240	1m	Do not accept 240%

Qu.	Requirement	Mark	Additional guidance
22	Award TWO marks for the correct answer of 15	Up to 2m	
	If the answer is incorrect, award ONE mark for a formal method of division with no more than ONE arithmetic error, i.e.		Working must be carried through to reach a final answer for the award of ONE mark.
	long division algorithm, e.g.		
	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		
	OR		
	$ \begin{array}{r} 15 r28 \\ 43 \overline{\smash{\big)}645} \\ - 430 \\ 215 \\ - 129 \\ 114 (error) \\ - 86 \\ 28 \\ \end{array} \times 43 $ • short division algorithm, e.g. $ \begin{array}{r} 1 5 r3 (error) \\ 43 \overline{\smash{\big)}64^{21}5} \end{array} $		Short division methods must be supported by evidence of appropriate carrying figures to indicate the use of a division algorithm, and be a complete method. The carrying figure must be less than the divisor.
23	14	1m	
24	7 10	1m	Accept equivalent fractions or the exact decimal equivalent, e.g. 0.7
25	$2\frac{1}{2}$	1m	Accept equivalent mixed numbers, fractions or the exact decimal equivalent, e.g. 2.5
26	0.262	1m	
27	117	1m	

Qu.	Requirement	Mark	Additional guidance
28	<u>2</u> 3	1m	Accept equivalent fractions or an exact decimal equivalent, e.g. $0.\overline{6}$ (accept any unambiguous indication of the recurring digits).
			decimals.
29	Award TWO marks for the correct answer of 465,518	Up to 2m	Working must be carried through to reach
	for the formal method of long multiplication		a final answer for the award of ONE mark.
	 • 5413 		Do not award any marks if the error is in the place value, e.g. the omission of the
	× <u>86</u> 32478		zero when multiplying by tens:
	$\frac{433040}{465438}$ (error)		• 5413 × 86
	OR		32478 43304 (place value error)
	• 5413		75782
	× <u>86</u> 32478		
	423040 (error) 455518		
30	198	1m	Do not accept 198%
31	<u>1</u> 8	1m	Accept equivalent fractions or an exact decimal equivalent, e.g. 0.125
32	77	1m	
33	60	1m	Do not accept unsimplified equivalent
			fractions unless accompanied by 60 or $\frac{60}{1}$
34	182	1m	Do not accept 182%
35	$2\frac{17}{21}$	1m	Accept equivalent mixed numbers,
	OR		e.g. 2.809523 (accept any unambiguous
	59		indication of the recurring digits).
	21		Do not accept rounded or truncated decimals.

Qu.	Requirement	Mark	Additional guidance
36	Award TWO marks for the correct answer of 91	Up to 2m	
	If the answer is incorrect, award ONE mark for the formal methods of division with no more than ONE arithmetic error, i.e. • long division algorithm, e.g. 97 8827 $-\frac{81}{8827}$ (error) 97 8827 $-\frac{97}{0}$ OR OR 97 8827 $-\frac{91 r^2}{0}$ OR 97 8827 $-\frac{7760}{1069}$ (error) -970 10×97		Working must be carried through to reach a final answer for the award of ONE mark. Sometimes an error in calculation leads to a remainder which equals the truncated decimal equivalent. In such cases when the remainder is expressed as a decimal, evidence of working leading to the decimal must be seen in order to condone the possible notation error. (See General Marking Principle 13, page 8.)
	$- \frac{99}{2} \qquad 1 \times 97$		
	 short division algorithm, e.g. 7 1 (error) 97 882°7 		Short division methods must be supported by evidence of appropriate carrying figures to indicate the use of a division algorithm, and be a complete method. The carrying figure must be less than the divisor.